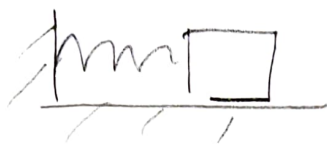


CHAP 10, PROB 21

ROUGH DRAFT
do not hand in!

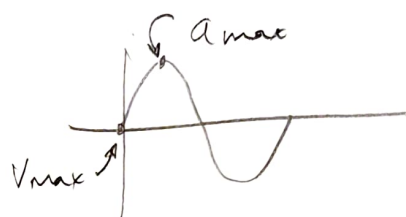


$$V_{\max} = 1.29 \text{ m/s}$$

$$a_{\max} = 6.51 \text{ m/s}^2$$

$$\frac{1}{4} V_{\max} \rightarrow a_{\max}$$

$V_{\max}$ center
 $a_{\max}$ end



$$t = \frac{1}{4} T$$

$$V_{\max} = \omega A ; a_{\max} = \omega^2 A$$

$$\Rightarrow a_{\max} = \omega V_{\max}$$

$$\omega = \frac{a_{\max}}{V_{\max}}$$

$$\omega = \frac{2\pi}{T}$$

$$\frac{2\pi}{T} = \frac{a_{\max}}{V_{\max}}$$

$$T = 2\pi \frac{V_{\max}}{a_{\max}}$$

$$= 2\pi \frac{1.29}{6.51} = 1.25$$

$$t = \frac{T}{4} = 0.311 \text{ s}$$

JOHN CUMMINGS

name

number pages

①

PROBLEM 10.21

prob. number

AN OBJECT ON SPRING OSCILLATES
ON A FRICTIONLESS SURFACE.

$V_{\max} = 1.29 \text{ m/s}$ AND $a_{\max} = 6.51 \text{ m/s}^2$

WHAT IS t BETWEEN $V_{\max}$ AND
NEXT $a_{\max}$?

leave
space
for comments

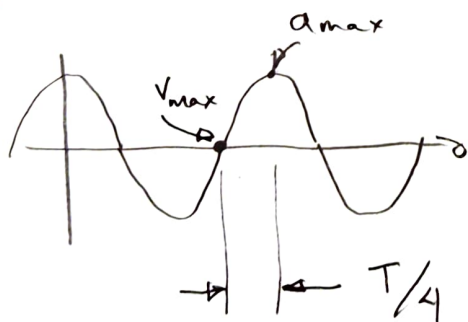
restate prob.,
but simplified

FIND $V_{\max}$ AND $a_{\max}$ IN TERMS
OF ω & A , THEN SOLVE FOR ω
(AND HENCE T). USE FRACTION OF
PERIOD BTWN $V_{\max}$ & $a_{\max}$ TO SOLVE.

explain
strategy

$V_{\max}$ OCCURS WHEN MASS IS AT
THE CENTER (EQUILIBRIUM) POSITION.
 $a_{\max}$ OCCURS WHERE THE FORCE IS
LARGEST - AT MAXIMUM DISPLACEMENT,

pictures and
graphs
may help



$$\Rightarrow t = \frac{T}{4}$$

①

number equations
you use later

(2)

10.21 (CONT.)

WE KNOW FROM THE TEXT THAT

$$V_{\max} = \omega A \quad (10.8)$$

AND

$$a_{\max} = \omega^2 A \quad (10.10)$$

reference
new equations

SO

$$a_{\max} = \omega V_{\max}$$

$$\omega = \frac{a_{\max}}{V_{\max}}$$

$$\text{BUT SINCE } \omega = \frac{2\pi}{T}$$

$$\frac{2\pi}{T} = \frac{a_{\max}}{V_{\max}}$$

NOW WE CAN SOLVE FOR T

÷ DIVIDE BY 4 (EQ ①)

do all algebra first!
then evaluate
numerically!

$$t = \frac{T}{4} = \frac{\pi}{2} \frac{V_{\max}}{a_{\max}} = \frac{\pi}{2} \frac{1.29 \text{ m/s}}{6.51 \text{ m/s}^2}$$

$$\boxed{t = 0.311 \text{ s}}$$

box final
answercheck units
if not trivial